

# Improving representation of the AOD to $PM_{2.5}$ relationship with a convolutional neural network

1. Department of Energy, Environmental, and Chemical Engineering, Washington University in St. Louis, St. Louis, Missouri 63130, United States;

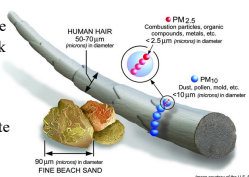
Siyuan Shen<sup>1</sup>, Aaron van Donkelaar<sup>1</sup>, Chi Li<sup>1</sup>,  
Nathan Jacobs<sup>2</sup>, Chenguang Wang<sup>2</sup>, and Randall V. Martin<sup>1</sup>

2. Department of Computer Science and Engineering, Washington University in St. Louis, St. Louis, Missouri 63130, United States;

## Motivation

Exposure to ambient **fine particulate matter ( $PM_{2.5}$ )** is the leading global environmental risk factor for mortality and disease burden.

Lack of ground monitors motivate us to get a reliable estimation of global  $PM_{2.5}$  concentration.



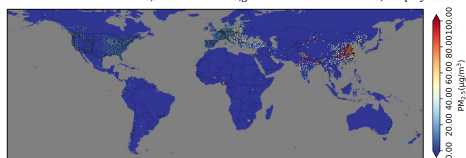
Deep learning is a powerful tool, with growing applications in many fields. Although traditional methods such as geographically weighted regression (GWR) [1] have been proven to be powerful methods for globally representing the residual bias in geophysical satellite-derived  $PM_{2.5}$  vs observations, we still seek to improve accuracy through deep learning models.

## Methods

Initial method to estimate global ground-level  $PM_{2.5}$ , geophysical  $PM_{2.5}$  based on satellite derived AOD and GEOS-Chem model [2]. Our model is based on the geophysical  $PM_{2.5}$  concentration.

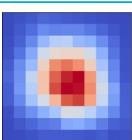
$$PM_{2.5, \text{Geophysical}} = \eta \times AOD_{\text{Retrieved}} \quad \eta = \frac{PM_{2.5, \text{Model}}}{AOD_{\text{Model}}}$$

**Learning Object:**  $PM_{2.5, \text{bias}} = PM_{2.5, \text{ground truth}} - PM_{2.5, \text{Geophysical}}$



Location of the monitors.

Satellite AOD,  $\eta$  and geophysical  $PM_{2.5}$



Output the  $PM_{2.5, \text{bias}}$  for center pixel

Meteorology Datasets

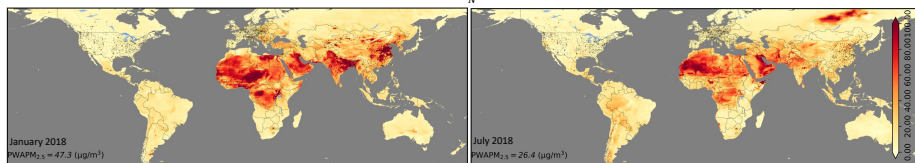
Elevation and location

29 variables for input 11x11 pixels figures



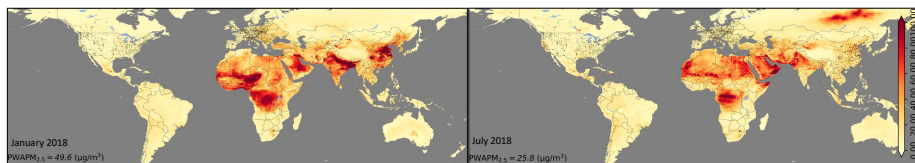
## Results – Performance Evaluation

Simple Loss Function – Mean Square Error(MSE) Loss Function:  $L = \frac{1}{N} \sum_{i=1}^N (f(x_i) - y_i)^2$



Loss Function with a priori value constrains :

$$L = \frac{1}{N} \sum_{i=1}^N [(1 + \beta e^{-\alpha y_i^2})(f(x_i) - y_i)^2 + \lambda_1 \text{ReLU}(-f(x_i) - \text{Geo}PM_{2.5,i}) + \lambda_2 \text{ReLU}(f(x_i) - \text{Geo}PM_{2.5,i})], \alpha, \beta, \gamma, \lambda_1, \lambda_2 > 0$$



Adjusted Cost functions with a priori value constrains improve the gridded  $PM_{2.5}$  estimation in areas with sparse monitors, e.g., Tibet.

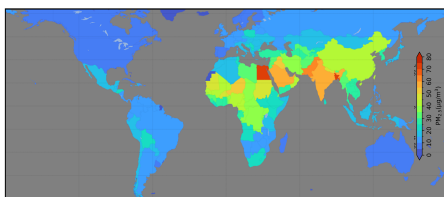
It also improves the coefficient of determination( $R^2$ ) in areas with low concentration, e.g., North America, and Europe.

Spatial Cross-Validation results compared with ground observation

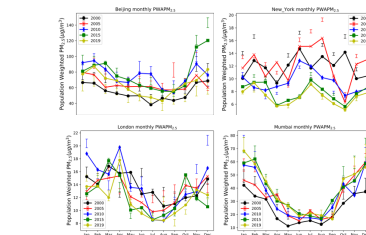
Orange – Global; Green – Asia; Blue – North America; Grey – Europe

	CNN $R^2$ Global, 2015-2019, N=10870 MSE	CNN $R^2$ Global, 2015-2019, N=10870 w/Penalties	Hybrid $R^2$ Global, 2015-2019, N=10870	Asia, 2015-2019, N=3515 MSE	Asia, 2015-2019, N=3515 w/Penalties	Hybrid $R^2$ Asia, 2015-2019, N=3515	North America, 2001-2019, N=2874 MSE	North America, 2001-2019, N=2874 w/Penalties	Europe, 2010-2019, N=3310 MSE	Europe, 2010-2019, N=3310 w/Penalties	Hybrid $R^2$ Europe, 2010-2019, N=3310
Annual	0.86 [0.83, 0.89]	0.86 [0.82, 0.89]	0.84 [0.81, 0.86]	0.74 [0.62, 0.78]	0.74 [0.62, 0.78]	0.69 [0.65, 0.72]	0.58 [0.45, 0.70]	0.59 [0.47, 0.69]	0.57 [0.42, 0.73]	0.69 [0.60, 0.80]	0.68 [0.66, 0.70]
January	0.89 [0.86, 0.92]	0.89 [0.86, 0.92]	0.86 [0.84, 0.88]	0.80 [0.67, 0.84]	0.79 [0.71, 0.81]	0.75 [0.72, 0.80]	0.55 [0.39, 0.64]	0.50 [0.39, 0.57]	0.51 [0.29, 0.64]	0.74 [0.66, 0.85]	0.72 [0.67, 0.76]
April	0.85 [0.82, 0.88]	0.84 [0.81, 0.88]	0.81 [0.78, 0.84]	0.66 [0.63, 0.75]	0.66 [0.60, 0.72]	0.62 [0.58, 0.66]	0.55 [0.46, 0.70]	0.60 [0.49, 0.71]	0.57 [0.29, 0.64]	0.62 [0.53, 0.71]	0.59 [0.54, 0.68]
July	0.78 [0.74, 0.81]	0.77 [0.72, 0.81]	0.72 [0.67, 0.77]	0.63 [0.55, 0.73]	0.64 [0.55, 0.73]	0.59 [0.49, 0.65]	0.62 [0.52, 0.71]	0.66 [0.55, 0.74]	0.61 [0.43, 0.78]	0.55 [0.45, 0.65]	0.57 [0.47, 0.67]
October	0.83 [0.78, 0.87]	0.83 [0.77, 0.88]	0.78 [0.75, 0.82]	0.71 [0.55, 0.77]	0.71 [0.53, 0.75]	0.61 [0.57, 0.64]	0.53 [0.45, 0.67]	0.57 [0.48, 0.68]	0.53 [0.42, 0.69]	0.69 [0.62, 0.80]	0.67 [0.62, 0.71]

## Results – Exposure to $PM_{2.5}$ Analysis

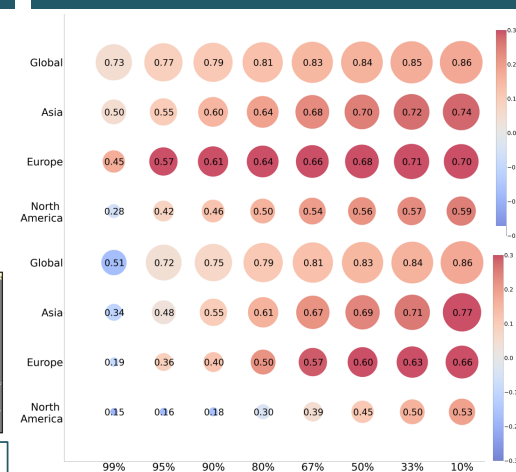


Map of population-weighted annual average  $PM_{2.5}$  in 2018



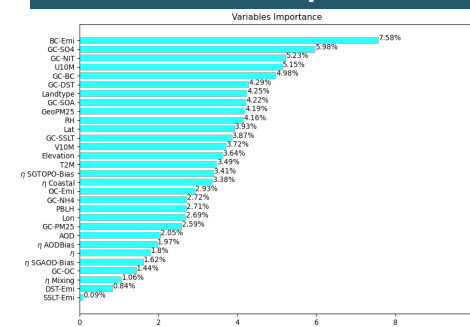
Population-weighted annual average  $PM_{2.5}$  seasonal trends in Beijing, New York, London, and Mumbai

## Robustness Test



We withheld different percentage of the monitors for testing datasets from 10% to 99%. The model includes a priori estimation of  $PM_{2.5}$  (above) show more robustness than the model without a priori estimation of  $PM_{2.5}$  (bottom).

## Variables importance



## Conclusions:

- Our method shows better performance than both traditional statistical method(GWR), and simple deep learning model.
- Our model shows high accuracy with only few ground monitors which indicates the reliability of the estimation in area with sparse monitors.

## Acknowledgement:

NASA Grant 80NSSC22K0200

Contact – Siyuan Shen: s.siyuan@wustl.edu

## References

- van Donkelaar, Aaron, et al. "Monthly global estimates of fine particulate matter and their uncertainty." *Environmental Science & Technology* 55.22 (2021): 15287-15300.
- Van Donkelaar, Aaron, et al. "Estimating ground-level  $PM_{2.5}$  using aerosol optical depth determined from satellite remote sensing." *Journal of Geophysical Research: Atmospheres* 111, no. D21 (2006).